

# Answers to Cumulative Reviews

## Chapters 1-4

- $QR, PR$
- coplanar
- $F$
- skew
- $ABE, EBC$
- straight
- parallel
- right
- $BXD$
- trapezoid
- 33
- a. 12 b. 2
- 47
- 1620
- 66
- a. If a  $\Delta$  is equilateral, then the sides of the  $\Delta$  are  $\cong$ . b. If the sides of a  $\Delta$  are  $\cong$ , then the  $\Delta$  is equilateral. c. If a  $\Delta$  is not equilateral, then the sides of the  $\Delta$  are not  $\cong$ . d. If the sides of a  $\Delta$  are not  $\cong$ , then the  $\Delta$  is not equilateral
- Yes
- Yes
- No
- Yes
- No
- Yes
- No
1. Given 2. In a plane, 2 lines  $\perp$  to the same line are  $\parallel$
- If 2  $\parallel$  lines are cut by a trans., then alt. int.  $\angle$  are  $\cong$
- Vert.  $\angle$  are  $\cong$
- Given
- AAS Thm.
- Corr. parts of  $\cong \Delta$  are  $\cong$
- Def. of segment bisector
25. 3, 2
- 12
27. 2
- 10
- 5
- 12
31. 3, 23
32.  $67\frac{1}{2}$
33. 8
1.  $\overline{AB} \parallel \overline{DE}, \overline{BC} \parallel \overline{EF}$  (Given) 2.  $\angle BAC \cong \angle EDF, \angle BCA \cong \angle EFD$  (If 2  $\parallel$  lines are cut by a trans., then corr.  $\angle$  are  $\cong$ ) 3.  $AD + DC = AC, DC + CF = DF$  (Seg. Add. Post.) 4.  $\overline{AD} \cong \overline{CF}$  ( $AD = CF$ ) (Given) 5.  $AC = CF + DC, AC = DF$  (Subst. Prop.) 6.  $\Delta ABC \cong \Delta DEF$  (ASA) 7.  $\angle B = \angle E$  (Corr. parts of  $\cong \Delta$  are  $\cong$ )
1.  $\Delta QRT \cong \Delta VST$  (Given)
- $\angle RQT \cong \angle SVT$  (Corr. parts of  $\cong \Delta$  are  $\cong$ )
- $\overline{PV} \parallel \overline{QR}$  (If 2 lines are cut by a trans. and alt. int.  $\angle$  are  $\cong$ , then the lines are  $\parallel$ )
- $\overline{PS} \parallel \overline{QR}$  ( $\overline{PS}$  lies on  $\overline{PV}$ )
- $S$  is the midpt. of  $\overline{PV}$  (Given)
- $\overline{PS} \cong \overline{SV}$  (Def. of midpt.)
- $\overline{SV} \cong \overline{QR}$  (Corr. parts of  $\cong \Delta$  are  $\cong$ )
- $\overline{PS} \cong \overline{QR}$  (Trans. Prop.)
- Quad.  $PQRS$  is a  $\square$  (If one pair of opp. sides of a quad. are both  $\cong$  and  $\parallel$ , then the quad. is a  $\square$ .)
1.  $\overline{AD} \cong \overline{AE}, \overline{PX} \cong \overline{QX}$  (Given)
- $\angle 1 \cong \angle 2; \angle 6 \cong \angle 5$  (Isosceles  $\Delta$  Thm.)
- $\angle 3 \cong \angle 1; \angle 2 \cong \angle 4$  (Vert.  $\angle$  are  $\cong$ )
- $\angle 3 \cong \angle 4$  (Trans. Prop.)
- $\overline{PD} \cong \overline{EQ}$  (Given)
- $\Delta PDB \cong \Delta QEC$  (ASA)
- $\overline{BD} \cong \overline{CE}$  (Corr. parts of  $\cong \Delta$  are  $\cong$ )
1.  $\overline{DC} \cong \overline{FC}, \overline{DE} \cong \overline{FE}$  (Given)
- $\overline{EC} \cong \overline{EC}$  (Reflex Prop.)
- $\Delta ECD \cong \Delta ECF$  (SSS)
- $\angle D \cong \angle F$  (Corr. parts of  $\cong \Delta$  are  $\cong$ )
- $\overline{DA} \cong \overline{FB}$  (Given)
- $\Delta DAC \cong \Delta FBC$  (SAS)
1.  $\angle 1 \cong \angle 2; \angle 3 \cong \angle 4$  (Given)
- $\overline{XE} \cong \overline{XD}, \overline{BX} \cong \overline{AX}$  (Isosceles  $\Delta$  Thm. Converse)
- $AX + AE = AE, BX + XD = BD$  (Seg. Add. Post.)
- $AE = BX + XD, AE = BD$  (Subst. Prop.)
- $\overline{AB} \cong \overline{AB}$  (Reflex Prop.)
- $\Delta EAB \cong \Delta DBA$  (SAS)
- $\angle EBA \cong \angle DAB$  (Corr. parts of  $\cong \Delta$  are  $\cong$ )
- $\overline{CA} \cong \overline{CB}$  (Isosceles  $\Delta$  Thm. Converse)
1.  $\angle A \cong \angle B, \overline{AC} \cong \overline{BC}$  (Given)

- $\angle ACE \cong \angle BCF$  (Vert.  $\angle$  are  $\cong$ )
- $\Delta ACF \cong \Delta BCF$  (SAS)
- $\overline{EC} \cong \overline{FC}$  (Corr. parts of  $\cong \Delta$  are  $\cong$ )
- $\angle CFE \cong \angle CEF$  (Isosceles  $\Delta$  Thm.)
- $\overline{ED} \cong \overline{FD}$  (Given)
- $\Delta CDE \cong \Delta CDF$  (SAS)
- $\angle CDE \cong \angle CDF$  (Corr. parts of  $\cong \Delta$  are  $\cong$ )
- $\overline{CD} \perp \overline{EF}$  (If 2 lines form  $\cong$  adjacent  $\angle$ , then the lines are  $\perp$ )

## Chapters 5-8

- False
- False
- True
- True
- False
- False
- True
- $-\frac{1}{8}$
- $3\sqrt{10}$
- $\sqrt{74}$
- $9\sqrt{3}$
- $2\sqrt{5}$
- 6
- 9.2
- 30.1
- 53
- 43
- Draw a seg.  $\overline{AB}$ , using  $A$  and  $B$  as centers and  $AB$  as the radius, swing two arcs; label their int.  $C$ , draw  $\overline{CA}$ , use Constr. 3 to bisect  $\angle CAB$ , each of the two resulting  $\angle$  is a  $30^\circ \angle$
1. The meas. of an inscribed  $\angle = \frac{1}{2}$  the meas. of its intercepted arc
- Subst. Prop.
- Vert.  $\angle$  are  $\cong$
- AA  $\sim$  Thm.
- Corr. sides of  $\sim \Delta$  are in proportion
- Prop. of proportions
1. 4
- Use Constr. 1 to construct a seg.  $\overline{XY}$  with length  $a$ , use Const. 5 to construct line  $l \perp$  to  $\overline{XY}$  at  $X$ , use Const. 1 to construct a seg.  $\overline{XZ}$  with length  $b$  along  $l$ ; draw  $\overline{ZY}$
- Use Const. 13
- 30
- 20
- 130
- 90
- 4
- 6
- 9
- 30
- 36
- 20
- 8
1.  $\overline{BE} \parallel \overline{AF} \parallel \overline{CG}$  (Given)
- $\frac{BD}{DC} = \frac{EF}{FG}$  (If 3  $\parallel$  lines int. 2 trans., then they divide the trans. proportionally.)
- $\overline{AF}$  bisects  $\angle BAD$  (Given)
- $\frac{BD}{DC} = \frac{AB}{AC}$  (If a ray bis. an  $\angle$  of a  $\Delta$ , then it divides the opp. side into segments prop. to the other 2 sides)
- $\frac{AB}{AC} = \frac{EF}{FG}$  (Subst. Prop.)
1.  $\overline{AB}$  is tangent to  $\odot O$  at  $B$  (Given)
- $AB \perp BO$  (If a line is tangent to a  $\odot$ , then the line is  $\perp$  to the radius drawn to the pt. of tangency.)
- $m\angle ABO = 90$  (Def. of  $\perp$  lines, Def. of rt.  $\angle$ )
- $m\angle BCD = 90$  (An  $\angle$  inscribed in a semicircle is a rt.  $\angle$ ; Def. of rt.  $\angle$ )
- $m\angle ABO = m\angle BCD$  (Subst. Prop.)
- $\angle BAO \cong \angle CBD$  (Given)
- $\Delta BAO \cong \Delta CBD$  (AA  $\sim$  Thm.)
1.  $\overline{AB}$  is tangent to  $\odot P$  at  $B$ ;  $\overline{BC}$  is tangent to  $\odot O$  at  $B$  (Given)
- In  $\odot O, m\angle CBD = \frac{1}{2}m\widehat{BSD}$ , in  $\odot P, m\angle ABD = \frac{1}{2}m\widehat{BRD}$  (The meas. of an  $\angle$  formed by a chord and